

What is claimed is:

5 *Sub Q3*
1. In a system for digital information process, a method for finding a quotient $Q = a_0 a_1 a_2 \dots a_n$ from a divisor $Y = y_1 y_2 \dots y_n$ and a dividend $X = x_1 x_2 \dots x_n$, comprising the following steps of:

(a) aligning the first non-zero bit of X with the first non-zero digit of Y ;

10 (b) defining a signed-digit partial remainder series R_i where $R_0 = Y$, a first sign series of the partial remainder S_i where $S_0 = 0$, a second sign series of the partial remainder S_{ri} , *OR* and a counter i beginning from zero;

15 (c) subtracting X from R_i which yields next signed-digit partial remainder R_{i+1} ;

(d) setting the sign of R_{i+1} to S_{ri+1} ;

(e) setting the result of exclusive-OR of S_i and S_{ri+1} to the true sign of the next remainder S_{i+1} ;

20 (f) setting a_i to 1 if $S_{i+1} = 0$ or $R_{i+1} = 0$;

(g) setting a_i to 0 if $S_{i+1} = 1$;

(h) inverting the signs of all digits of R_{i+1} if $S_{i+1} = 1$;

(i) shift R_{i+1} left by one bit;

25 (j) adding 1 to i ; and

(k) repeating said steps (c) to (j) until i reaches a predetermined value or $R_{i+1} = 0$.

2. In a system for digital information process, a method for finding a signed magnitude quotient $Q_2 = a_s a_0 a_1 a_2 \dots a_n$ from a signed divisor $Y_s = y_s y_1 y_2 \dots y_n$, , and a signed dividend $X_s = x_s x_1 x_2 \dots x_n$, comprising the following steps of:

(a) obtaining a_s from the result of exclusive-OR of y_s and x_s ;

(b) defining a divisor $Y = y_1 y_2 \dots y_n$, a dividend $X = x_1 x_2 \dots x_n$, a signed-digit partial remainder series R_i where $R_0 = Y$, a first sign series of the partial remainder S_i where $S_0 = 0$, a second sign series of the partial remainder S_n , and a counter i beginning from zero;

(c) aligning the first non-zero bit of X with the first non-zero digit of Y ;

(d) subtracting X from R_i which yields next signed-digit partial remainder R_{i+1} ;

(e) setting the sign of R_{i+1} to S_{n+1} ;

(f) setting the result of exclusive-OR of S_i and S_{n+1} to the true sign of the next remainder S_{i+1} ;

(g) setting a_i to 1 if $S_{i+1} = 0$ or $R_{i+1} = 0$;

(h) setting a_i to 0 if $S_{i+1} = 1$;

(i) inverting the signs of all digits of R_{i+1} if

$$S_{i+1} = 1;$$

(j) shift R_{i+1} left by one bit;

(k) adding 1 to i ; and

5 (l) repeating (said steps (d) to (k) until i reaches
a predetermined value or $R_{i+1} = 0$.